

## **QUESTION 1**

You are provided with the following:

- A voltmeter
- A capacitor
- A switch
- A stop watch
- Five connecting wires
- Two cells and a cell holder

## **Proceed as follows:**

# PART A

(a) Connect the circuit as shown in **Figure 1**.



Make sure that the terminals of the capacitor and those of the battery are correctly connected, (*positive to positive and negative to negative*).

- (b) Close the switch, read and record the maximum voltage  $V_0$ , across the capacitor.  $V_0 = \dots$  volts (1 mark)
- (c) While the voltmeter shows the maximum voltage V<sub>0</sub>, open the switch and start the stop watch simultaneously. Stop the stopwatch when the voltage has dropped from V<sub>0</sub> to 2.5 V. Read and record in Table 1 the time taken. (2 marks)
- (d) Reset the stopwatch and close the switch. Repeat the procedure in (c) to measure and record the time taken for the voltage to drop from  $V_0$ , to each of the other values shown in **Table 1**.

Table	1

Voltage (v)	2.5	2.25	2.0	1.75	1.50	1.25
Time , t (s)						

(e)	On	the grid	provided	i, piot	a graf	on or	vonage	V ()	(axis)	against	time t	(5 marks)

**(0)** On the grid provided plot a graph of voltage V(y, axis) against time t (5 marks)

Use the graph to determine the time t at which V =  $\frac{V_0}{2}$ (**f**) (**I**) (1 mark)

 $T = \dots seconds$ 

Determine the resistance R of the voltmeter given that T = 0.693CR where C is **(II)** the capacitance of the capacitor. (1 mark) ..... ..... ..... ..... You are provided with the following:

- A triangular glass prism
- A metre rule
- A 50 g mass
- some hot water
- some cold water
- Some thread
- A thermometer
- One stand, one boss and one clamp
- A beaker

#### PART B

#### **Proceed** as follows:

- (g) Using a piece of thread suspend the metre rule from the clamp on the stand and adjust the position of the thread until the metre rule balances horizontally. Note this position, O of the thread. (*This position of the thread must be maintained throughout the experiment*)
- (h) Using another piece of thread suspend the glass prism from the meter rule at a point 35 cm from O. Suspend the 50 g mass on the opposite side of O using another piece of thread. Adjust the position of the thread attached to the 50 g mass until the metre rule balances once more. See Figure 2.



**I.** Determine the distance  $l_l$  between O and the point of support of the 50g mass. (1 mark)

- **II** Use the principle of moments to determine the weight  $W_I$  of the prism in air. (*Take*  $g = 10N kg^{-1}$ ) (1 mark)
- (i) Put cold water into the beaker (approximately three quarter (<sup>3</sup>/<sub>4</sub>) full. With the glass prism at 35 cm from O, determine the distance  $l_2$  of the 50g mass at which the rule balances when the prism is fully submerged in the cold water. (See **Figure 3**).



- **II.** Determine the weight  $W_2$  of the prism in the cold water. (1 mark)
- (j) Measure and record the temperature  $T_1$  of the cold water system is balanced.

- (k) Now pour out the cold water and replace it with hot water. Balance the metre rule with the prism fully submerged in hot water. *Ensure that the prism is still supported at 35cm from O.*
  - (i) Determine the distance  $l_3$  of the point of support of the 50g mass when the prism is submerged in hot water.

$$l_{3} = \dots$$
 (1 mark)

(ii) Measure and record the temperature  $T_2$  of the hot water.

(iii) Determine the weight  $W_3$  of the prism in hot water. (1 mark)

#### (I) Determine the constant K for the water given that:

$\mathbf{K} = (\underline{W_1 - W_2}) (\underline{W_1 - W_3})$	
$(W_1 - W_3) (T_2 - T_1)$	

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(2 marks)

## **QUESTION 2**

You are provided with the following:

- A 100 ml beaker
- A 600 ml beaker
- 2 thermometers range  $-10^{\circ}$ C to  $110^{\circ}$ C;
- A measuring cylinder; (to be shared)
- Some plasticine;
- Vernier callipers: (to be shared)
- A meter rule or half meter rule
- Some boiling water;
- Some cold water;(at room temperature)
- A stopwatch
- Astirrer.

### PART A

#### **Proceed as follows:**

(a) Using the vernier callipers, measure the internal diameter  $d_1$  and the external diameter  $d_2$  of the 100 ml beaker.

 $d_1.....cm \qquad (1 mark)$ 

d<sub>2</sub>.....cm

Determine the thickness X of the glass wall of the beaker, given that  $X = d_2 - d_1$ 

(b) Using the measuring cylinder provided, pour 75 ml of cold into the small beaker.Measure the height h, of the water in the small beaker

Determine the area A of the glass walls in contact with water, given that  $A = \pi d_1 h$ 

 $A = \dots cm^2 \qquad (1 mark)$ 

(c) Use the plasticine provided to make a circular disc of about the same area as the bottom surface of the smaller beaker and about 1 cm thick. Place this disc at the bottom of the large beaker and place the small beaker on it. Now pour boiling water into the large beaker until the levels of the water in the two beakers are same. See **Figure 4**.



- (d) Place a thermometer in the hot water and stir gently until the temperature drops to 75<sup>0</sup>. Now start the stopwatch and measure the temperature T<sub>1</sub> of the hot water at intervals of 20 seconds. Record the values in Table 2.
  (*Stir the water in the two beakers before taking the readings*) Pour out the contents of the two beakers.
- (e) Measure another 75 ml of cold water and put it into the small beaker. Place the small beaker inside the large beaker on the plasticine disc as before. Again pour boiling water into the large beaker until the levels of the water in the two beakers are the same. Place one thermometer in the cold water and the other in hot water. Stir gently until the temperature of the hot water drops to  $75^{0}$ C. Start the top watch and immediately read and record in **Table 2** the temperature T<sub>2</sub> of the cold water (*You may now remove the thermometer in the hot water*).

Read other values of T<sub>2</sub> at intervals of 20s and record in **Table 2**.

Table 2

Time t (seconds)	0	20	40
Temperature $T_1(^0C)$			
Temperature $T_2(^0C)$			

(3 marks)

(2 marks)

(f) Determine the average  $T_2$  and t

- (g) (i) Determine the ratio of average value of  $T_2$  to average value of t, S.
  - (1 mark) S =

(ii) Determine the constant k, given that  $k = \frac{315 SX}{A (T_1 - T_2)}$  where  $T_1$  and  $T_2$  are the temperatures of the hot and cold water at t = 60s, and X and A are in m and m<sup>2</sup> respectively. (1 mark)

### PART B

You are provided with the following:

- A lens and a lens holder
- A screen with cross wires
- A candle
- A metre rule
- A white screen
- A 100ml glass beaker with some water

## **Proceed as follows:**

(h) Place the 100 ml beaker on a meter rule and pour 80cm<sup>3</sup> of water into it. Arrange a candle (source of light) and a screen on either side of the beaker (see Figure 5)



- (i) Adjust the position of the candle on the metre rule so that its centre is a distance u =20 cm from the beaker. Adjust the position of the screen until a well-focused image of the flame is formed on the screen. Measure and record in **Table 3** the image distance V between the screen and the beaker.
- (j) Repeat part (i) for other values of u shown in **Table 3** and complete the table. (2 marks)

Table 3	
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Distance u (cm)	20	25
Distance V (cm)		
$y = \frac{uv}{u+v}$		-

(k) Determine **m**, the mean value of y using the values in **Table 3**.

**m** =.....

(1 mark)

(I) (i) With the metre rule outside the beaker, measure the height h of the water meniscus above the bench.



(m) Arrange the lit candle, the lens and the screen as shown in **Figure 6**. Adjust the position of the screen until a sharp inverted image of the candle flame is formed on the screen.



(i) Measure the image distance v

v =..... 1 mark)

(ii) Determine the focal length of the lens using the formula (1 mark)

$$f = \frac{uv}{u+v}$$

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